

# Algebra 1 Readiness Intervention Lessons

Readiness Standard 2 - 8.EE.7a

Learning Target: I will determine the number of solutions to linear equations in one variable

Readiness for A.REI.6: Solve systems of linear equations

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#### IES Recommendations for Improving Algebra Knowledge:

Re	Recommendation		
1.	Use solved problems to engage students in analyzing algebraic reasoning and strategies.		
2.	Teach students to utilize the structure of algebraic representations.		
3.	Teach students to intentionally choose from alternative algebraic strategies when solving problems.		
	(Teaching Strategies for Improving Algebra Knowledge in		

Middle and High School Students, 2015, p. 3)



# **High School Planning Guide**

Algebra 1 - Readiness Standard 2 - 8.EE.7a

Recommended Actions ≈ 30 minutes		
Beginning (5 min.)	<ul> <li>Review the learning target with the whole group.</li> <li>For sessions 3 and 4, ask each student to set a personal goal for the day based on their previous Quick Check Score and use a highlighter to plot their goal on their Growth Chart.</li> </ul>	
Middle (15 min.)	<ul> <li>Guided Practice         <ul> <li>Whole Group (Analyze solved problems)</li> <li>The teacher covers up all solution steps except the first two.</li> <li>The teacher asks, "What math happened?" and elicits student responses to fill in the missing information.</li> <li>The teacher answers student questions to clarify the solution step.</li> <li>The teacher uncovers the next answer blank and repeats the analysis.</li> </ul> </li> <li>Pairs (Gradual release to solve problems)         <ul> <li>Students take turns leading to "think aloud" while completing each problem.</li> </ul> </li> </ul>	
End (10 min.)	<ul> <li>Reflect, Assess and Monitor Progress</li> <li>Ask students to reflect on their progress towards the learning target.</li> <li>What did I learn today about the learning target?</li> <li>How confident do I feel about doing the learning target on my own?</li> <li>Assess each student's progress using a Quick Check.</li> <li>Guide students to self-correct their Quick Check.</li> <li>Guide students to chart their progress in their Growth Chart.</li> <li>If not using Delta Math lessons, record the activity in the table.</li> <li>Collect each student's Quick Check and Growth Chart.</li> </ul>	
After	Exit students who meet or exceed the learning goal for a third time.	



Algebra 1 – Readiness Standard 2 – 8.EE.7a

**Readiness** for solving systems of linear equations

#### Session 1: Guided Practice (Whole Group)

**1.** Below are steps to find the number of solutions to the equation 2x + 1 = 3x - 4. For each solution step, discuss what happened and fill in the missing information.

Draw	Write	Describe
	2x + 1 = 3x - 4	→ can be read as "Became" or "Changed To"
$\begin{array}{c c} +x \\ - \\ +x \\ - \end{array}$	2x + 1 = 3x + -4	<b>Changed subtraction to "add the opposite"</b> $3x - 4 \rightarrow \_\_\_+\_\_\_$ to model the equation with algebra tiles.
$\begin{array}{c c} & & & & \\ & & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & &$	<u>-2x -2x</u>	Added -2x to and to get the terms with the variable on one side of the equal sign.
+	1 = x + -4	<b>Removed Zero Pairs</b> + -2x $\rightarrow 0$ and+ -2x $\rightarrow 0$ to simplify the equation.
$\begin{array}{c c} + + & +x & - + \\ + & - + \\ + & - + \\ + & - + \\ - + & - + \\ - & - + \\ - & - + \\ - & - + \\ - & - + \\ - & - + \\ - & - + \\ - & - + \\ - & - + \\ - & - + \\ - & - + \\ - & - + \\ - & - + \\ - & - + \\ - & - + \\ - & - + \\ - & - + \\ - & - + \\ - & - + \\ - & - + \\ - & - + \\ - & - + \\ - & - + \\ - & - + \\ - & - + \\ - & - + \\ - & - + \\ - & - + \\ - & - + \\ - & - + \\ - & - + \\ - & - + \\ - & - + \\ - & - + \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ - & - \\ $	+4 +4	Added 4 to and to get the term with the variable by itself.
+ 11 -+	5 = x	<b>Removed Zero Pairs</b> $+ 4 \rightarrow 5$ and $+ 4 \rightarrow 0$ to simplify the equation.
	One Solution	<b>Decided there is One Solution</b> because <i>x</i> =
	2x + 1 = 3x + -4 2(5) + 1 = 3(5) + -4 10 + 1 = 15 + -4 11 = 11	Verified by substituting for <i>x</i> . The left and right sides of the equal sign are, only when <i>x</i> = How many solutions?



Algebra 1 – Readiness Standard 2 – 8.EE.7a

**Readiness** for solving systems of linear equations

#### Session 1: Guided Practice (Whole Group)

**2.** Below are steps to find the number of solutions to the equation 2x + 1 = 2x - 1. For each solution step, discuss what happened and fill in the missing information.

Draw	Write	Describe
	2x + 1 = 2x - 1	→ can be read as "Became" or "Changed To"
$\begin{array}{c c} +x \\ +x \\ +x \end{array} + \\ +x \\ +x \end{array} - \\ +x \\ $	2x + 1 = 2x + -1	Changed subtraction to "add the opposite" $2x - 1 \Rightarrow \_\_\_+\_\_\_$ to model the equation with algebra tiles.
$ \begin{array}{c c} \hline -x & +x \\ \hline -x & +x \\ \hline -x \\ \hline -x \\ \hline 0 \\ \hline \\ \end{array} $	<u>-2x -2x</u>	Added -2x to and to get the terms with the variable on one side of the equal sign.
+    -	1 ≠ -1	<b>Removed Zero Pairs</b> $+ -2x \rightarrow 0$ and $+ -2x \rightarrow 0$ to simplify the equation.
	No Solutions	<b>Decided there are No Solutions</b> since the simplified equation is Any number chosen will create a false equation!
	2x + 1 = 2x + -1 2(4) + 1 = 2(4) + -1 8 + 1 = 8 + -1 9 \ne 7	Verified by substituting for <i>x</i> . The left and right sides of the equal sign are when <i>x</i> = and any other number you try!
		How many solutions?

Name

Date

Learning Target: I will determine the number of solutions to linear equations in one variable

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#### Session 1: Guided Practice (Pairs)

**Directions:** Complete the steps to solve each linear equation, find the number of solutions and verify your answer on the graph.

<b>3.</b> $3x + 10 = -3x + 10$	<b>4.</b> $3x + 10 = 3x - 10$
6x + 10 =	3x + 10 = 3x + -10
6x =	10 ≠
x =	
Number of Solutions =	Number of Solutions =
<b>5.</b> $4x + 1 = 2(2x + 3)$	<b>6.</b> $6x - 4 = 2(2x + 1)$
4x + 1 = 4x +	$6x + \_\_\_ = 2(2x + 1)$
1 ≠	$6x + -4 = 4x + \_$
	2x =
Number of Solutions =	<i>x</i> =
	Number of Solutions =
7. $3x + 2 = 2x + 1 - 5x + 7$	<b>8.</b> $3x - 5 + x = 5 + 4x - 4$
$3x + 2 = 2x + 1 + \_\_\_+ \_\_\_$	$3x + -5 + x = 5 + 4x + \$
$3x + 2 = -3x + \_\_\_$	$4x + -5 = \_\_\_+ \_\_\_$
6x + 2 =	-5 ≠
6x =	Number of Solutions =
x =	
Number of Solutions =	

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**Readiness** for solving systems of linear equations

# Session 1: Guided Practice (Teacher Notes)

**1.** Below are steps to find the number of solutions to the equation 2x + 1 = 3x - 4. For each solution step, discuss what happened and fill in the missing information.

Draw	Write	Describe
	2x + 1 = 3x - 4	→ can be read as "Became" or "Changed To"
$\begin{array}{c c} +x \\ +x \\ +x \end{array} + \\ +x \\ +x \\ +x \\ - \\ +x \\ - \\ - \end{array}$	2x + 1 = 3x + -4	Changed subtraction to "add the opposite" $3x - 4 \rightarrow 3x + -4$ to model the equation with algebra tiles.
$\begin{array}{c c} \hline -x & +x \\ \hline -x & +x \\ \hline -x & +x \\ \hline +x & - \\ \hline +x & - \\ \hline +x & - \\ \hline +x \\ \hline -x \\ \hline -x \\ \hline 0 \\ \hline \end{array}$	<u>-2x -2x</u>	Added $-2x$ to $2x$ and $3x$ to get the terms with the variable on one side of the equal sign.
+	1 = x + -4	<b>Removed Zero Pairs</b> $2x + -2x \rightarrow 0$ and $3x + -2x \rightarrow 0$ to simplify the equation.
	<u>+4 +4</u>	Added 4 to <u>1</u> and <u>-4</u> to get the term with the variable by itself.
+ " -+	5 = x	Removed Zero Pairs $\underline{1} + 4 \rightarrow 5$ and $\underline{-4} + 4 \rightarrow 0$ to simplify the equation.
	One Solution	<b>Decided there is One Solution</b> since the simplified equation is $x = 5$ .
	2x + 1 = 3x + -4 2(5) + 1 = 3(5) + -4 10 + 1 = 15 + -4 11 = 11	Verified by substituting <u>5</u> for x. The left and right sides of the equal sign are <u>equal</u> , only when x = <u>5</u> . How many solutions? One



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Readiness for solving systems of linear equations

# Session 1: Guided Practice (Teacher Notes – Cont.)

2. Below are steps to find the number of solutions to the equation 2x + 1 = 2x - 1. For each solution step, discuss what happened and fill in the missing information.

Draw	Write	Describe
	2x + 1 = 2x - 1	→ can be read as "Became" or "Changed To"
$\begin{array}{c c} +x \\ +x \\ +x \end{array} + \\ \hline +x \\ +x \end{array} - \\ \hline +x \\ \hline +x \\ \hline \end{array}$	2x + 1 = 2x + -1	Changed subtraction to "add the opposite" $2x - 1 \rightarrow \underline{2x} + \underline{-1}$ to model the equation with algebra tiles.
$\begin{array}{c c} \hline -x & +x \\ \hline -x & +x \\ \hline \\ -x & +x \\ \hline \\ 0 \\ 0 \\ \hline 0 \\ 0 \\$	<u>-2x -2x</u>	Added $-2x$ to $2x$ and $2x$ to get the terms with the variable on one side of the equal sign.
+    -	1 ≠ -1	<b>Removed Zero Pairs</b> $\underline{2x} + -2x \rightarrow 0$ and $\underline{2x} + -2x \rightarrow 0$ to simplify the equation.
	No Solutions	<b>Decided there are No Solutions</b> since the simplified equation is <b><u>not true</u></b> . Any number chosen will create a false equation!
	2x + 1 = 2x + -1 2(4) + 1 = 2(4) + -1 8 + 1 = 8 + -1 9 \ne 7	Verified by substituting <u>4</u> for x. The left and right sides of the equal sign are <u>not equal</u> when x = <u>4</u> and any other number you try! How many solutions? <u>None</u>



#### **Session 1: Self-Reflection**

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Learning Target: I will determine the number of solutions to linear equations in one variable

Briefly discuss student responses

- What did I learn today about determining the number of solutions to linear equations in one variable?
- How confident do I feel about determining the number of solutions to linear equations in one variable on my own? (Thumbs up, down, or sideways)



# Algebra 1 Quick Check – Form A

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Name

Date

Learning Target: I will find the number of solutions to linear equations in one variable.

**Directions:** Circle the number of solutions to each equation. (Work time: 5 minutes)

1. 2. 6x - 2 = 6x + 22x + 8 = -2x + 8No Solutions One Solution Infinitely Many No Solutions One Solution Infinitely Many 3. 4. 3x + 9 = -2x - 9 - x5x + 6 = 5x + 6No Solutions One Solution Infinitely Many No Solutions One Solution Infinitely Many 5. 6. 2x + 6 = 2(x + 3)6x + 3 = 3(2x + 1) + 1No Solutions One Solution Infinitely Many No Solutions One Solution Infinitely Many



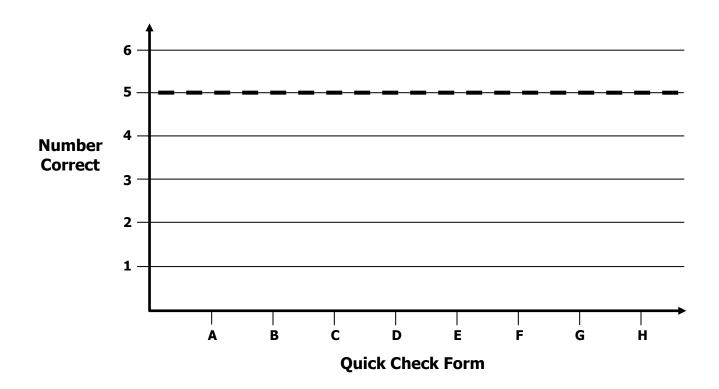
# **Algebra 1 Growth Chart**

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#### Name

Learning Target: I will find the number of solutions to linear equations in one variable.

Goal: 5 out of 6 correct



Intervention	Date	Score
Session 1		
Session 2		
Session 3		
Session 4		
Session 5		
Session 6		
Session 7		
Session 8		



Algebra 1 – Readiness Standard 2 – 8.EE.7a

Readiness for solving systems of linear equations

## Session 2: Guided Practice (Whole Group)

**1.** Below are steps to find the number of solutions to the equation 3x + 4 = 3x - 4. For each solution step, discuss what happened and fill in the missing information.

Draw	Write	Describe
	3x + 1 = 3x - 2	→ can be read as "Became" or "Changed To"
$\begin{array}{c c} +x \\ +x \\ +x \\ +x \end{array} + \\ \hline +x \\ \hline +x \\ \hline \end{array} \begin{array}{c} +x \\ +x \\ +x \\ \hline \end{array} - \\ \hline +x \\ \hline \end{array}$	3x + 1 = 3x + -2	Changed subtraction to "add the opposite" $3x - 2 \rightarrow \_\_\_+\_\_$ to model the equation with algebra tiles.
$\begin{array}{c c} & & & & & \\ \hline & & & & \\ \hline \\ \hline$	<u>-3x -3x</u>	Added -3x to and to get the terms with the variable on one side of the equal sign.
+    =	1 ≠ -2	<b>Removed Zero Pairs</b> $+ -3x \rightarrow 0$ and $+ -3x \rightarrow 0$ to simplify the equation.
	No Solutions	<b>Decided there are No Solutions</b> since the simplified equation is Any number chosen will create a false equation!
	3x + 1 = 3x + -2 3(-4) + 1 = 3(-4) + -2 -12 + 1 = -12 + -2 $-11 \neq -14$	Verified by substituting for <i>x</i> . The left and right sides of the equal sign are when <i>x</i> = and any other number you try! How many solutions?



Algebra 1 – Readiness Standard 2 – 8.EE.7a

**Readiness** for solving systems of linear equations

## Session 2: Guided Practice (Whole Group)

2. Below are steps to find the number of solutions to the equation 2x + 1 = 3x - 3 - x + 4. For each solution step, discuss what happened and fill in the missing information.

Draw	Write	Describe
	2x + 1 = 3x - 3 - x + 4	→ can be read as "Became" or "Changed To"
$\begin{array}{c} +x \\ +x \\ +x \end{array} + \\ \hline +x \\ +x \\ +x \\ +x \\ +x \\ +x \\ +x $	2x + 1 = 3x + -3 + -x + 4	<b>Changed subtraction to "add the opposite"</b> $3x-3-x+4 \rightarrow \_\_\_+\_\_+\_\_+\_\_+\_\_$ to model the equation with algebra tiles.
$\begin{array}{c c} +x \\ +x \\ +x \end{array} + \\ \hline +x \\ +x \\ +x \\ +x \\ +x \\ +x \\ + \end{array} + \\ \begin{array}{c c} +x \\ +x \\ +x \\ +x \\ + \end{array}$	2x + 1 = 3x + -x + -3 + 4	<b>Reordered the Terms</b> $3x + -3 + -x + 4 \Rightarrow \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ = \ + \ = \ + \ = \ = \ = \ = \ = \ = \ = \= = \ = \= = \= = \= = \= = \= = \= = \= = \= = \= = \= = \= = \= = \= = \= = \= = \= = \= = \= = \= = \= = \= = \= = \= = \= = \= = \= = \= = \= = \= = \= = \= = = \== = \== = = \== = = \== = = = $
$ \begin{vmatrix} +x \\ +x \end{vmatrix} + \begin{vmatrix} +x \\ +x \end{vmatrix} + + + + + + + + + + + + + + + + + $	2x + 1 = 2x + 1	<b>Combined Like Terms</b> $+ \_ \rightarrow 2x$ and $\_ + \_ \rightarrow 1$ to simplify the equation.
$\begin{array}{c c} x & x & x \\ x & x & x \\ x & x & x \\ x & x &$	<u>-2x -2x</u>	Added -2x to and to get the terms with the variable on one side of the equal sign.
+    +	1 = 1	<b>Removed Zero Pairs</b> $+ -2x \rightarrow 0$ and $+ -2x \rightarrow 0$ to simplify the equation.
	Infinitely Many Solutions	<b>Decided there are No Solutions</b> since the simplified equation is Any number chosen will create a true equation.
	2x + 1 = 3x + -3 + -x + 4 2(7) + 1 = 3(7) + -3 + -(7) + 4 14 + 1 = 21 + -3 + -7 + 4 15 = 15	Verified by substituting for <i>x</i> . The left and right sides of the equal sign are when <i>x</i> = and any other number you try. How many solutions?



#### Session 2: Guided Practice (Pairs)

**Directions:** Complete the steps to solve each linear equation, find the number of solutions.

<b>3.</b> $4x + 7 = 4x - 9$	<b>4.</b> $-5x + 17 = 5x - 3$
4x + 7 = 4x +	-5x + 17 = 5x + -3
7 ≠	17 = 10x +
Number of Solutions =	$\underline{\qquad} = 10x$ $\underline{\qquad} = x$
	Number of Solutions =
<b>5.</b> $6x - 4 = 2(3x - 2)$	6. $4x - 6 = 2(2x + 1)$
$6x + -4 = 2(3x + \)$	$4x + \_\_\_ = 2(2x + 1)$
$6x + -4 = 6x + \_$	4x + -6 = 4x +
-4 =	-6 ≠ 2
Number of Solutions =	Number of Solutions =
7. $3x - 5 + x = 5 + 2x - 4$	<b>8.</b> $3x - 5 + x = 2 + 4x - 7$
$3x + -5 + x = 5 + 2x + \_$	$3x + -5 + x = 2 + 4x + \$
4x + -5 = +	$4x + -5 = \_\_\_+ \_\_\_$
2x + -5 =	-5 =
2x =	
x =	Number of Solutions =
Number of Solutions =	



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Readiness for solving systems of linear equations

# Session 2: Guided Practice (Teacher Notes)

**1.** Below are steps to find the number of solutions to the equation 3x + 1 = 3x - 2. For each solution step, discuss what happened and fill in the missing information.

Draw	Write	Describe
	3x + 1 = 3x - 2	→ can be read as "Became" or "Changed To"
$\begin{array}{c c} +x \\ +x \\ +x \\ +x \end{array} + \\ +x \\ +x \end{array} - \\ +x \\ $	3x + 1 = 3x + -2	Changed subtraction to "add the opposite" $3x - 2 \rightarrow 3x + -2$ to model the equation with algebra tiles.
$\begin{array}{c c} \hline -X & +X \\ \hline \\ -X & +X \\ \hline \\ 0 \\ \end{array} + \begin{array}{c} \hline \\ +X \\ \hline \\ -X \\ \hline \\ -X \\ \hline \\ -X \\ \hline \end{array} + 0$	<u>-3x -3x</u>	Added $-3x$ to $3x$ and $3x$ to get the terms with the variable on one side of the equal sign.
+    -	1 ≠ -2	<b>Removed Zero Pairs</b> $\underline{3x} + -3x \rightarrow 0$ and $\underline{3x} + -3x \rightarrow 0$ to simplify the equation.
	No Solutions	<b>Decided there are No Solutions</b> since the simplified equation is <b>false</b> . Any number chosen will create a false equation!
	3x + 1 = 3x + -2 3(-4) + 1 = 3(-4) + -2 -12 + 1 = -12 + -2 -11 \ne -14	Verified by substituting <u>-4</u> for <i>x</i> . The left and right sides of the equal sign are <u>not equal</u> when <i>x</i> = <u>-4</u> and any other number you try!
		How many solutions? None



Algebra 1 – Readiness Standard 2 – 8.EE.7a

Readiness for solving systems of linear equations

# Session 2: Guided Practice (Teacher Notes – Cont.)

2. Below are steps to find the number of solutions to the equation 2x + 1 = 3x - 3 - x + 4. For each solution step, discuss what happened and fill in the missing information.

Draw	Write	Describe
	2x + 1 = 3x - 3 - x + 4	→ can be read as "Became" or "Changed To"
$\begin{array}{c} +x \\ +x \\ +x \end{array} + \\ \begin{array}{c} +x \\ +x \\ +x \\ +x \\ -x \\ +x \\ +x \\ +x \\$	2x + 1 = 3x + -3 + -x + 4	Changed subtraction to "add the opposite" $3x - 3 - x + 4 \rightarrow 3x + -3 + -x + 4$ to model the equation with algebra tiles.
$\begin{array}{c c} +x \\ +x \\ +x \end{array} + \\ \hline +x \\ +x \\ +x \\ +x \\ +x \\ +x \\ +x $	2x + 1 = 3x + -x + -3 + 4	Reordered the Terms $3x + -3 + -x + 4 \rightarrow 3x + -x + -3 + 4$ to get like terms together.
$\begin{array}{c c} x + \\ x +$	2x + 1 = 2x + 1	<b>Combined Like Terms</b> $\underline{3x} + \underline{-x} \rightarrow 2x$ and $\underline{-3} + \underline{4} \rightarrow 1$ to simplify the equation.
$\begin{array}{c c} -x & +x \\ \hline -x & +x \\ \hline -x & +x \\ \hline 0 \\ 0 \\ \hline \end{array} + $	<u>-2x -2x</u>	Added $-2x$ to $2x$ and $2x$ to get the terms with the variable on one side of the equal sign.
+    +	1 = 1	<b>Removed Zero Pairs</b> $\underline{2x} + -2x \rightarrow 0$ and $\underline{2x} + -2x \rightarrow 0$ to simplify the equation.
	Infinitely Many Solutions	<b>Decided there are Infinitely Many Solutions</b> since the simplified equation is <u>true</u> . Any number chosen will create a true equation!
	2x + 1 = 3x + -3 + -x + 4 2(7) + 1 = 3(7) + -3 + -(7) + 4 14 + 1 = 21 + -3 + -7 + 4 15 = 15	Verified by substituting <u>7</u> for x. The left and right sides of the equal sign are <u>equal</u> when x = <u>7</u> and any other number you try! How many solutions? <u>Infinitely Many Solutions</u>



#### **Session 2: Self-Reflection**

Algebra 1 – Readiness Standard 2 – 8.EE.7a

Learning Target: I will determine the number of solutions to linear equations in one variable

Briefly discuss student responses

- What did I learn today about determining the number of solutions to linear equations in one variable?
- How confident do I feel about determining the number of solutions to linear equations in one variable on my own? (Thumbs up, down, or sideways)



# Algebra 1 Quick Check – Form B

Readiness Standard 2 - 8.EE.7a

Name\_\_\_\_\_

Date\_\_\_\_

Learning Target: I will find the number of solutions to linear equations in one variable.

1.		2.
	8x + 2 = 8x - 2	3x - 6 = -3x + 6
	No Solutions One Solution Infinitely Many	No Solutions One Solution Infinitely Many
3.		4.
	4x - 6 = x - 2 + x - 4	3x + 1 = 3x + 1
	No Solutions One Solution Infinitely Many	No Solutions, One Solution, Infinitaly Many
	No Solutions One Solution Infinitely Many	No Solutions One Solution Infinitely Many
5.		<b>6.</b>
	2x + 8 = 2(x + 3) + 1	5x + 6 = 2(2x + 4)
	No Solutions One Solution Infinitely Many	No Solutions One Solution Infinitely Many



Algebra 1 – Readiness Standard 2 – 8.EE.7a

Readiness for solving systems of linear equations

#### Session 3: Guided Practice (Whole Group)

**Directions:** Below are steps to find the number of solutions to 2x + 5 = 6x + 4 - 2x - 5. For each solution step, discuss what happened and fill in the missing information.

	Write	Describe
1.	2x + 5 = 6x + 4 - 2x - 5	→ can be read as "Became" or "Changed To"
	2x + 5 = 6x + 4 + -2x + -5	Changed to Addition $6x + 4 - 2x - 5 \rightarrow \_\_\_+\_\_+\_\_+\_\_+\_\_+$ to make it easier to combine like terms.
	2x + 5 = 4x + -1	<b>Combined Like Terms</b> $\_\_+\_\_ \Rightarrow 4x$ and $\_\_+\_\_ \Rightarrow -1$ to simplify the expression.
	$\frac{-2x}{5} = 2x + -1$	Added + $\rightarrow 0$ and + $\rightarrow 2x$ to eliminate the term with the variable on one side of the equal sign.
	<u>+1 +1</u>	
	6 = 2x	Added $\_\_+\_\_ \rightarrow 6$ and $\_\_+\_\_ \rightarrow 0$ to get the term with the variable by itself.
	$\overline{2}$ $\overline{2}$	
	3 = x	<b>Divided</b> $\div$ $\Rightarrow$ 3 and $\div$ $\Rightarrow x$ to find the value.
	One Solution	<b>Decided</b> The number of solutions is, since the simplified equation is <i>x</i> =



Algebra 1 – Readiness Standard 2 – 8.EE.7a

Readiness for solving systems of linear equations

# Session 3: Guided Practice (Whole Group – Cont.)

Write	Describe
<b>2.</b> $6x + 15 = 3(2x + 5)$	→ can be read as "Became" or "Changed To"
6x + 12 = 6x + 15	Multiplied • $\rightarrow 6x$ and • $\rightarrow 15$ to eliminate the parentheses.
<u>-6x -6x</u>	
12 ≠ 15	Added and Compared + $\rightarrow 0$ and + $\rightarrow 0$ 12 and 15 are to eliminate the term with the variable on one side
	of the equal sign and check for equality.
No Solutions	<b>Decided</b> The number of solutions is, since the simplified equation is
<b>3.</b> $5x + 15 = 8x + 7 - 3x + 8$	
5x + 15 = 8x + 7 + -3x + 8	Changed to Addition $8x + 7 - 3x + 8 \Rightarrow \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ + \ = \ + \ + \ + \ + \ + \ + \ = \ + \ + \ = \ = \ + \ + \ = \$
5x + 15 = 5x + 15	<b>Combined Like Terms</b> $\_$ + $\_$ $\rightarrow$ 5x and $\_$ + $\_$ $\rightarrow$ 15 to simplify the expression.
<u>-5x -5x</u>	
15 = 15	Added and Compared + $\rightarrow 0$ and + $\rightarrow 2x$ 15 and 15 are to eliminate the term with the variable on one side.
Infinitely Many Solutions	<b>Decided</b> The number of solutions is, since the simplified equation is



Algebra 1 – Readiness Standard 2 – 8.EE.7a

#### Session 3: Guided Practice (Pairs)

**Directions:** Complete the steps to solve each linear equation and find the number of solutions.

4.	4x + 3 = -4x + 3	<b>5.</b> $7x + 5 = 7x - 5$
	8x + 3 =	7x + 5 = 7x +
	=	5 ≠
	<i>x</i> =	
	Number of Solutions =	Number of Solutions =
6.	5x + 4 = 2(3x + 1)	<b>7.</b> $4x - 12 = 4(x - 3)$
	5x + 4 = 6x +	$4x + -12 = 4(\_\_\_+\_\_)$
	4 = x +	
	$\_$ = x	
	Number of Solutions =	Number of Solutions =
8.	Number of Solutions = 2x + 6 = 5x + 20 - 7x - 2	Number of Solutions = 9. $2x - 6 + x = 5 - 2x + 9$
8.		
8.	2x + 6 = 5x + 20 - 7x - 2	
8.	2x + 6 = 5x + 20 - 7x - 2	
8.	2x + 6 = 5x + 20 - 7x - 2	
8.	2x + 6 = 5x + 20 - 7x - 2	
8.	2x + 6 = 5x + 20 - 7x - 2	



Algebra 1 – Readiness Standard 2 – 8.EE.7a

Readiness for solving systems of linear equations

## Session 3: Guided Practice (Teacher Notes)

**Directions:** Below are steps to find the number of solutions to 2x + 5 = 6x + 4 - 2x - 5. For each solution step, discuss what happened and fill in the missing information.

	Write	Describe
1.	2x + 5 = 6x + 4 - 2x - 5	→ can be read as "Became", "Changed To", "To Get"
	2x + 5 = 6x + 4 + -2x + -5	Changed to Addition $6x + 4 - 2x - 5 \rightarrow 6x + 4 + -2x + -5$ to make it easier to combine like terms.
	2x + 5 = 4x + -1	<b>Combined Like Terms</b> $\underline{6x} + \underline{-2x} \rightarrow 4x$ and $\underline{4} + \underline{-5} \rightarrow -1$ to simplify the expression.
	<u>-2x -2x</u>	
	5 = 2x + -1	Added $2x + -2x \rightarrow 0$ and $4x + -2x \rightarrow 2x$ to get the term with the variable on one side of the equal sign.
	<u>+1 +1</u>	
	6 = 2x	Added $\underline{5} + \underline{1} \rightarrow 6$ and $\underline{-1} + \underline{1} \rightarrow 0$ to eliminate the term with the variable on one side
	2 2	of the equal sign.
	3 = x	<b>Divided</b> $\underline{6} \div \underline{2} \rightarrow 3$ and $\underline{2x} \div \underline{2} \rightarrow x$ to find the value of $x$ .
	One Solution	<b>Decided</b> The number of solutions is <b><u>one</u></b> , since the simplified equation is $x = \underline{3}$ .



Algebra 1 – Readiness Standard 2 – 8.EE.7a

Readiness for solving systems of linear equations

#### Session 3: Guided Practice (Teacher Notes – Cont.)

Write	Describe
<b>2.</b> $6x + 15 = 3(2x + 5)$	→ can be read as "Became", "Changed To", "To Get"
6x + 12 = 6x + 15	<b>Multiplied</b> $\underline{3} \cdot \underline{2x} \rightarrow 6x$ and $\underline{3} \cdot \underline{5} \rightarrow 15$ to eliminate the parentheses.
<u>-6x -6x</u>	
12 ≠ 15	Added and Compared $\underline{6x} + \underline{-6x} \rightarrow 0$ and $\underline{6x} + \underline{-6x} \rightarrow 0$ 12 and 15 are <u>not equal</u> to eliminate the term with the variable on one side of the equal sign and check for equality.
No Solutions	<b>Decided</b> The number of solutions is <b>Zero</b> , since the simplified equation is <b>false</b> .
<b>3.</b> $5x + 15 = 8x + 7 - 3x + 8$	
5x + 15 = 8x + 7 + -3x + 8	<b>Changed to Addition</b> $8x + 7 - 3x + 8 \rightarrow \underline{8x} + \underline{7} + \underline{-3x} + \underline{8}$ to make it easier to combine like terms.
5x + 15 = 5x + 15	<b>Combined Like Terms</b> $\underline{8x} + \underline{-3x} \rightarrow 5x$ and $\underline{7} + \underline{8} \rightarrow 15$ to simplify the expression.
<u>-5x -5x</u>	
15 = 15	Added and Compared $5x + -5x \rightarrow 0$ and $5x + -5x \rightarrow 0$ 15 and 15 are equal
	to eliminate the term with the variable on one side of the equal sign and check for equality.
Infinitely Many Solutions	<b>Decided</b> The number of solutions is <b>Infinitely Many</b> , since the simplified equation is <b>true</b> .



#### **Session 3: Self-Reflection**

Algebra 1 – Readiness Standard 2 – 8.EE.7a

Learning Target: I will determine the number of solutions to linear equations in one variable

Briefly discuss student responses

- What did I learn today about determining the number of solutions to linear equations in one variable?
- How confident do I feel about determining the number of solutions to linear equations in one variable on my own? (Thumbs up, down, or sideways)



# Algebra 1 Quick Check – Form C

Readiness Standard 2 - 8.EE.7a

Name\_\_\_\_\_

Date\_\_\_\_

**Learning Target:** I will find the number of solutions to linear equations in one variable.

1.		2.
	3x + 4 = -3x + 10	4x - 1 = 4x - 1
	No Solutions One Solution Infinitely Many	No Solutions One Solution Infinitely Many
3.		4.
	5x + 1 = 3x + 1 + 2x	2x + 4 = -2x - 4
	No Colutions - One Colution - Infinitely Many	No Colutions - One Colution Infinitely Many
	No Solutions One Solution Infinitely Many	No Solutions One Solution Infinitely Many
5.		6.
	8x + 5 = 4(2x + 1) + 1	6x + 4 = 2(3x + 4)
	No Solutions One Solution Infinitely Many	No Solutions One Solution Infinitely Many



Algebra 1 – Readiness Standard 2 – 8.EE.7a

**Readiness** for solving systems of linear equations

#### Session 4: Guided Practice (Whole Group)

**Directions:** Below are steps to find the number of solutions to 3x + 6 = 6x + 7 - 2x - 4. For each solution step, discuss what happened and fill in the missing information.

	Write	Describe
1.	3x + 6 = 6x + 7 - 2x - 4	→ can be read as "Became" or "Changed To"
	3x + 6 = 6x + 7 + -2x + -4	Changed to Addition $6x + 7 - 2x - 4 \rightarrow \_\_\_+\_\_\_+\_\_\_+\_\_\_+\_\_\_+\_\_\_+\_\_\_+\_\_\_+\_\_\_+\_$
	3x + 6 = 4x + 3	<b>Combined Like Terms</b> $+ - + + + + + + + + + + + + + + + + + $
	-3x $-3x$	
	6 = x + 3	Added + $\rightarrow 0$ and + $\rightarrow x$ to eliminate the term with the variable on one side of the equal sign.
	<u>-3 -3</u>	or the equal sign.
	3 = x	Added $\_\_+\_\_ \Rightarrow 3$ and $\_\_+\_\_ \Rightarrow 0$ to get the term with the variable by itself.
	One Solution	<b>Decided</b> The number of solutions is, since the simplified equation is $x =$



Algebra 1 – Readiness Standard 2 – 8.EE.7a

Readiness for solving systems of linear equations

#### Session 4: Guided Practice (Whole Group – Cont.)

	Write	Describe
2.	-2x + 10 = -2(x - 5)	→ can be read as "Became" or "Changed To"
	-2x + 10 = -2(x + -5)	<b>Changed to Addition</b> $-2(x - 5) \rightarrow -2(\_\_\_+\_\_)$ to make it easier to combine like terms.
	-2x + 10 = -2x + 10	Multiplied • $\rightarrow -2x$ and • $\rightarrow 10$ to eliminate the parentheses.
	<u>2x 2x</u>	
	10 = 10	Added and Compared + $\rightarrow 0$ and + $\rightarrow 0$ 10 and 10 are to eliminate the term with the variable on one side
		of the equal sign and check for equality.
	Infinitely Many Solutions	<b>Decided</b> The number of solutions is, since the simplified equation is
3.	-2x + 10 = -2(x + 5)	
	$-2x + 10 = -2x + -10$ $\underline{2x} \qquad \underline{2x}$	Multiplied • $\rightarrow$ -2x and • $\rightarrow$ -10 to eliminate the parentheses.
	10 ≠ -10	Added and Compared $\_\_+\_\_\rightarrow 0$ and $\_\_\_+\_\_\rightarrow 0$ 10 and -10 are $\_\_\_$ to eliminate the term with the variable on one side.
	No Solutions	<b>Decided</b> The number of solutions is, since the simplified equation is



Algebra 1 – Readiness Standard 2 – 8.EE.7a

# Session 4: Guided Practice (Pairs)

**Directions:** Solve each linear equation and find the number of solutions.

4.	2x + 6 = 6x - 6	5.	3x + 8 = 3x - 8	
6.	8x + 6 = 2(4x + 6)	7.	2x - 6 = 2(x - 3)	
8.	4x + 2 = x + 2 + x + 6	9.	5x + 2 = -2x + 6 + 7x - 4	



Algebra 1 – Readiness Standard 2 – 8.EE.7a

Readiness for solving systems of linear equations

## Session 4: Guided Practice (Teacher Notes)

**Directions:** Below are steps to find the number of solutions to 3x + 6 = 6x + 7 - 2x - 4. For each solution step, discuss what happened and fill in the missing information.

	Write	Describe
1.	3x + 6 = 6x + 7 - 2x - 4	→ can be read as "Became", "Changed To", "To Get"
	3x + 6 = 6x + 7 + -2x + -4	<b>Changed to Addition</b> $6x + 7 - 2x - 4 \rightarrow 6x + 7 + -2x + -4$ to make it easier to combine like terms.
	3x + 6 = 4x + 3 -3x - 3x	<b>Combined Like Terms</b> $\underline{6x} + \underline{-2x} \rightarrow 4x$ and $\underline{7} + \underline{-4} \rightarrow 3$ to simplify the expression.
	6 = x + 3 -3 -3	Added $3x + -3x \rightarrow 0$ and $4x + -3x \rightarrow x$ to get the term with the variable on one side of the equal sign.
	3 = x	Added $\underline{6} + \underline{-3} \rightarrow 3$ and $\underline{3} + \underline{-3} \rightarrow 0$ to eliminate the term with the variable on one side of the equal sign.
	One Solution	<b>Decided</b> The number of solutions is <b><u>one</u></b> , since the simplified equation is $x = \underline{3}$ .



Algebra 1 – Readiness Standard 2 – 8.EE.7a

Readiness for solving systems of linear equations

# Session 4: Guided Practice (Teacher Notes – Cont.)

Write	Describe
<b>2.</b> $-2x + 10 = -2(x - 5)$	→ can be read as "Became", "Changed To", "To Get"
-2x + 10 = -2(x + -5)	Changed to Addition $-2(x - 5) \rightarrow -2(\underline{x} + \underline{-5})$ to make it easier to combine like terms.
-2x + 10 = -2x + 10	<b>Multiplied</b> $\underline{-2} \bullet \underline{x} \rightarrow -2x$ and $\underline{-2} \bullet \underline{-5} \rightarrow 10$ to eliminate the parentheses.
2x $2x$	
10 = 10	Added and Compared $-2x + 2x \rightarrow 0$ and $-2x + 2x \rightarrow 0$ 10 and 10 are equal
	to eliminate the term with the variable on one side of the equal sign and check for equality.
Infinitely Many Solutions	<b>Decided</b> The number of solutions is <b>Infinitely Many</b> , since the simplified equation is <b>true</b> .
<b>3.</b> $-2x + 10 = -2(x + 5)$	
-2x + 10 = -2x + -10	Multiplied $\underline{-2} \bullet \underline{x} \rightarrow -2x$ and $\underline{-2} \bullet \underline{5} \rightarrow -10$ to eliminate the parentheses.
2x $2x$	
10 ≠ -10	Added and Compared $\underline{-2x} + \underline{2x} \rightarrow 0$ and $\underline{-2x} + \underline{2x} \rightarrow 0$ 10 and 10 are <u>not equal</u>
	to eliminate the term with the variable on one side of the equal sign and check for equality.
No Solutions	<b>Decided</b> The number of solutions is <b>Zero</b> , since the simplified equation is <b>false</b> .
$-2x + 10 = -2x + -10$ $\frac{2x}{10 \neq -10}$	to eliminate the parentheses. Added and Compared $-2x + 2x \rightarrow 0$ and $-2x + 2x \rightarrow 0$ 10 and 10 are <u>not equal</u> to eliminate the term with the variable on one side of the equal sign and check for equality. Decided The number of solutions is <u>Zero</u> ,



#### **Session 4: Self-Reflection**

Algebra 1 – Readiness Standard 2 – 8.EE.7a

Learning Target: I will determine the number of solutions to linear equations in one variable

Briefly discuss student responses

- What did I learn today about determining the number of solutions to linear equations in one variable?
- How confident do I feel about determining the number of solutions to linear equations in one variable on my own? (Thumbs up, down, or sideways)



# Algebra 1 Quick Check – Form D

Readiness Standard 2 - 8.EE.7a

Name\_\_\_\_\_

Date\_\_\_\_

**Learning Target:** I will find the number of solutions to linear equations in one variable.

1.	2.
2x + 4 = -2x + -4	6x + 2 = 3x + 14
No Solutions One Solution Infinitely Many	No Solutions One Solution Infinitely Many
3.	4.
5x + 6 = 3x + 7 + 2x	3x - 4 = 3x - 4
No Solutions One Solution Infinitely Many	No Solutions One Solution Infinitely Many
5.	6.
4x + 2 = 2(x + 4)	8x + 1 = 3(2x + 1) + 2x
No Solutions One Solution Infinitely Many	No Solutions One Solution Infinitely Many
No Solutions One Solution Infinitely Many	No Solutions One Solution Infinitely Many



# Algebra 1 Quick Check – Form E

Readiness Standard 2 - 8.EE.7a

Name\_\_\_\_

Date\_\_\_\_

Learning Target: I will find the number of solutions to linear equations in one variable.

Directions: Circle the number of solutions to each equation. (Work time: 5 minutes)

1. 2. 6x - 2 = 6x + 22x + 8 = -2x + 8No Solutions One Solution Infinitely Many No Solutions One Solution Infinitely Many 3. 4. 3x + 9 = -2x - 9 - x5x + 6 = 5x + 6No Solutions One Solution Infinitely Many No Solutions One Solution Infinitely Many 5. 6. 2x + 6 = 2(x + 3)6x + 3 = 3(2x + 1) + 1No Solutions One Solution Infinitely Many No Solutions One Solution Infinitely Many



# Algebra 1 Quick Check – Form F

Readiness Standard 2 - 8.EE.7a

Name\_\_\_\_\_

Date\_\_\_\_

**Learning Target:** I will find the number of solutions to linear equations in one variable.

1.		2.	
	8x + 2 = 8x - 2		3x - 6 = -3x + 6
	No Solutions One Solution Infinitely Many	No	Solutions One Solution Infinitely Many
3.		4.	
	4x - 6 = x - 2 + x - 4		3x + 1 = 3x + 1
	No Solutions One Solution Infinitely Many	No	Solutions One Solution Infinitely Many
5.		6.	
	2x + 8 = 2(x + 3) + 1		5x + 6 = 2(2x + 4)
	No Solutions One Solution Infinitely Many	No	Solutions One Solution Infinitely Many



# Algebra 1 Quick Check – Form G

Readiness Standard 2 - 8.EE.7a

Name\_\_\_\_\_

Date\_\_\_\_

**Learning Target:** I will find the number of solutions to linear equations in one variable.

1.		2.
	3x + 4 = -3x + 10	4x - 1 = 4x - 1
	No Solutions One Solution Infinitely Many	No Solutions One Solution Infinitely Many
3.		4.
	5x + 1 = 3x + 1 + 2x	2x + 4 = -2x - 4
	No Solutions One Solution Infinitely Many	No Solutions One Solution Infinitely Many
	No Solutions One Solution Infinitely Many	No Solutions One Solution Infinitely Many
5.		6.
	8x + 5 = 4(2x + 1) + 1	6x + 4 = 2(3x + 4)
	No Solutions One Solution Infinitely Many	No Solutions One Solution Infinitely Many



# Algebra 1 Quick Check – Form H

Readiness Standard 2 - 8.EE.7a

Name\_\_\_\_\_

Date\_\_\_\_

**Learning Target:** I will find the number of solutions to linear equations in one variable.

1.		2.
	2x + 4 = -2x + -4	6x + 2 = 3x + 14
	No Solutions One Solution Infinitely Many	No Solutions One Solution Infinitely Many
3.		4.
	5x + 6 = 3x + 7 + 2x	3x - 4 = 3x - 4
	No Solutions One Solution Infinitely Many	No Solutions One Solution Infinitely Many
5.		6.
	4x + 2 = 2(x + 4)	8x + 1 = 3(2x + 1) + 2x
	No Solutions One Solution Infinitely Many	No Solutions One Solution Infinitely Many